The background of the slide is a dark blue field filled with a dense, ethereal cloud of fine, glowing blue particles. These particles are concentrated in a vertical, nebula-like structure on the right side, with a bright, glowing core. The overall effect is a sense of depth and dynamic movement, reminiscent of a cosmic or digital environment.

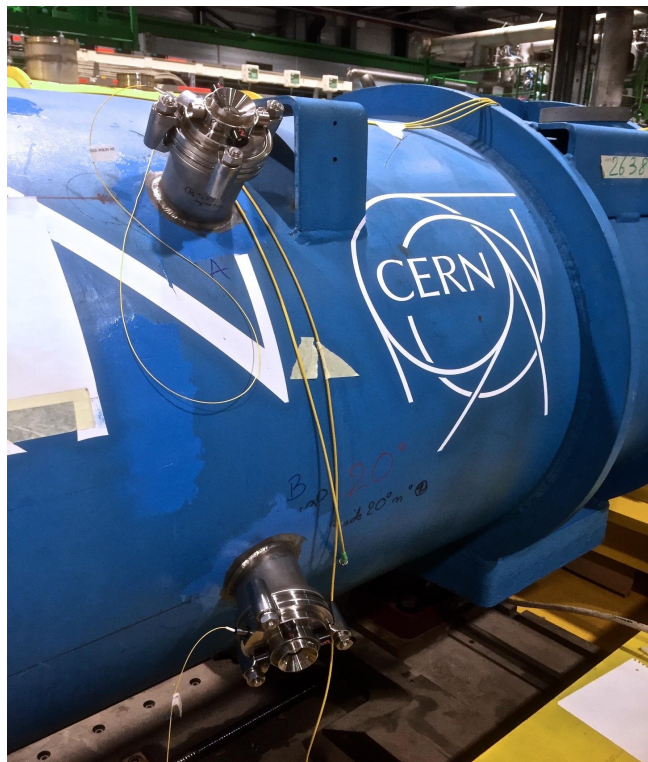
# **Porting Signal Processing Algorithms to CuPy for precision measurement**

# Porting Signal Processing Algorithms to CuPy for precision measurement

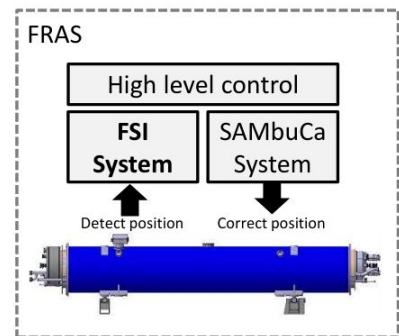
**Acknowledgements:** D.Cobas, M.Lipinski, M.Sosin, P.Peronnard, T.Gingold, C.Franco, T.Wlostowski (CERN)

- Frequency Scanning Interferometry System
- Signal Processing in FSI
- CuPy and Signal Processing
  - Butterworth Filter
  - Hilbert Transform
  - Savitzky-Golay Filter
- Outlook

# Frequency Scanning Interferometry System



- Frequency scanning interferometry measurement system for Full Remote Alignment System (FRAS), which can determine distance from measuring head to target upto micrometer precision in real time
- Monitoring the position of magnet and crab cavity cold masses inside their cryostats
- Based on Michelson Interferometry Principle and uses sweeping laser to identify distance of target system



<https://home.cern/news/news/accelerators/aligning-hl-lhc-magnets-interferometry>

# Frequency Scanning Interferometry System

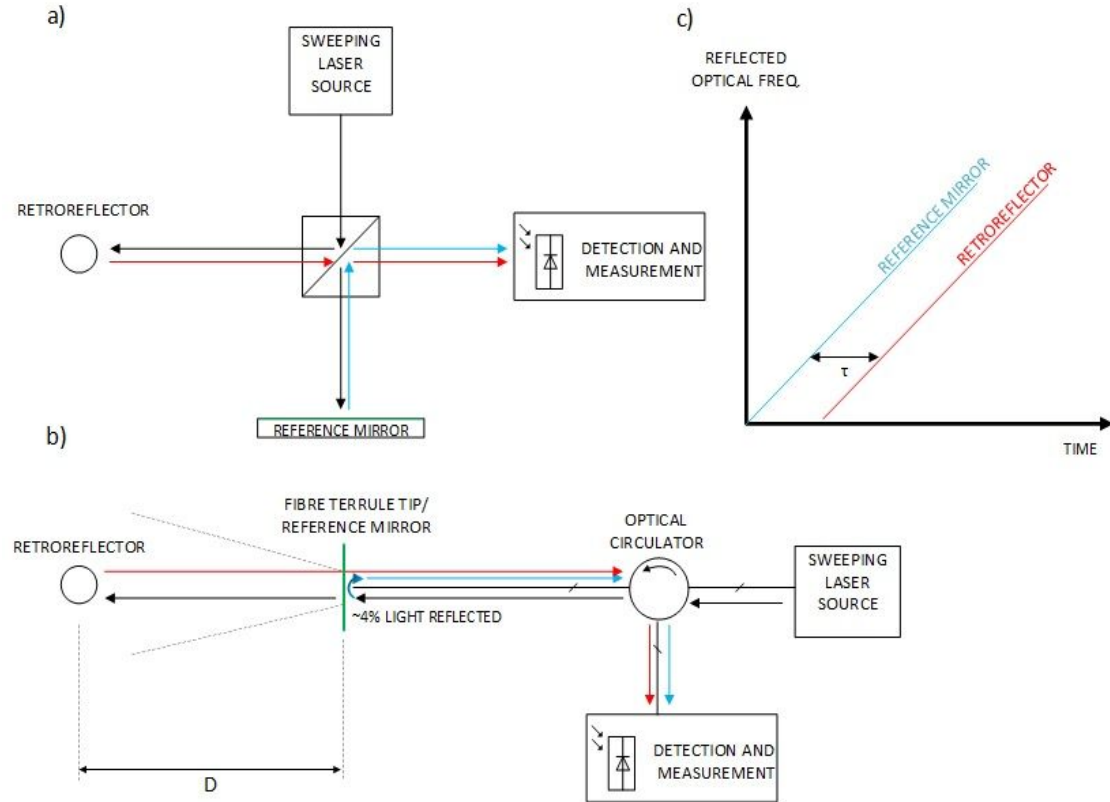
- Based on Michelson Interferometry Principle and uses sweeping laser to identify distance of target system
- Reference beam and the beam reflected from the target are recombined, creating an interference signal -

$$I(t, \tau) = A \cdot \cos[2\pi(\alpha \tau t + f_0 \tau)]$$

A - magnitude of the signal

$\tau$  - time delay between signals

$\alpha$  - sweep rate of the laser



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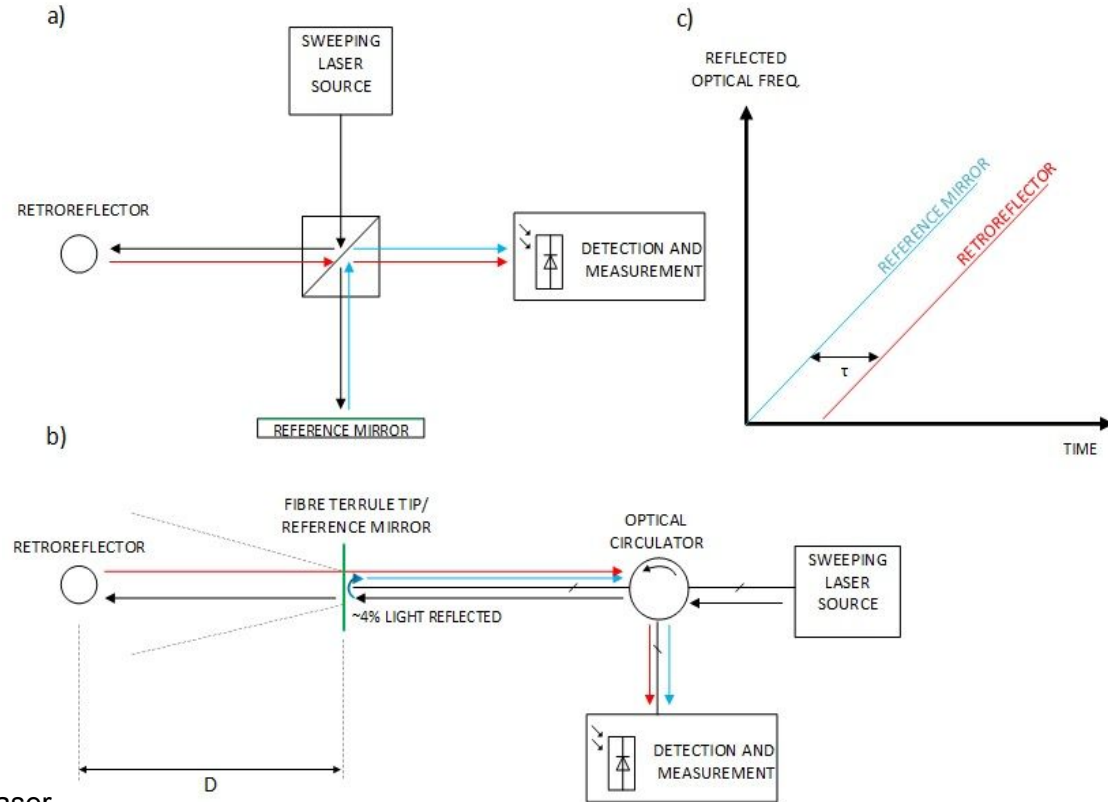
- Distance D is calculated -  $D = c \frac{N}{2\Delta\nu n}$

$\Delta\nu$  - change of the laser frequency during sweep

n - refractive index

c - speed of light

N - number of cycles of the signal measured during the laser sweep (above equation)



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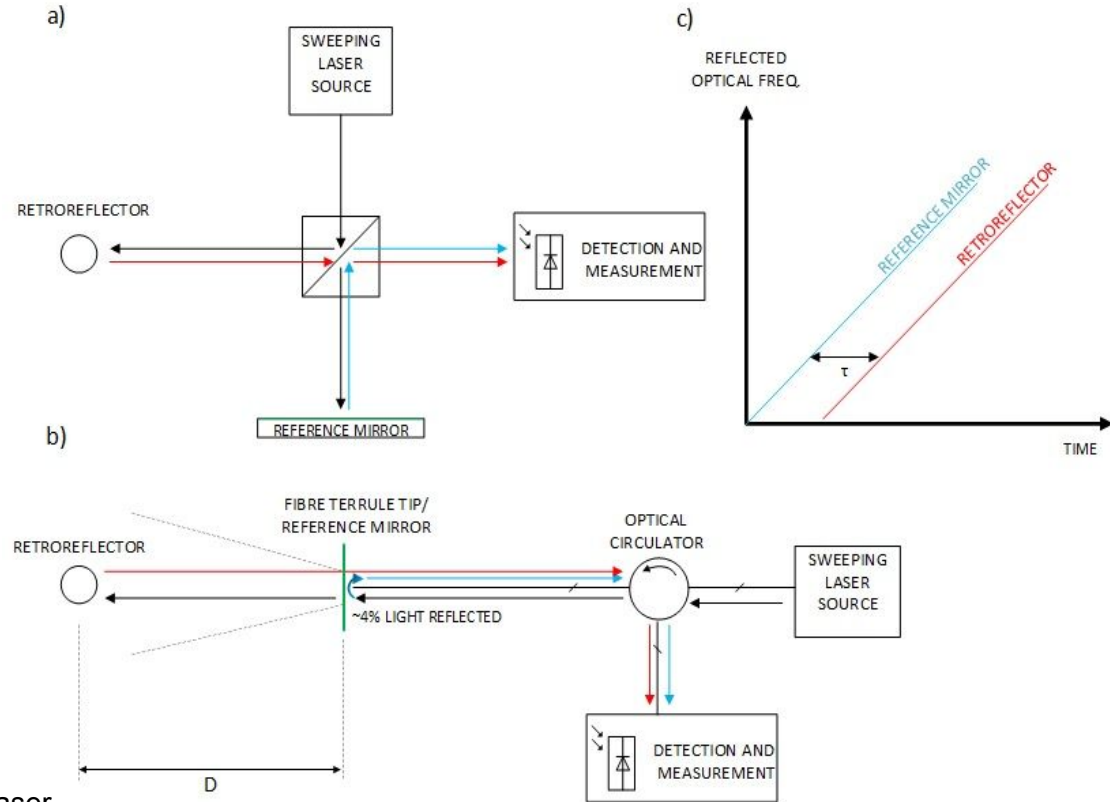
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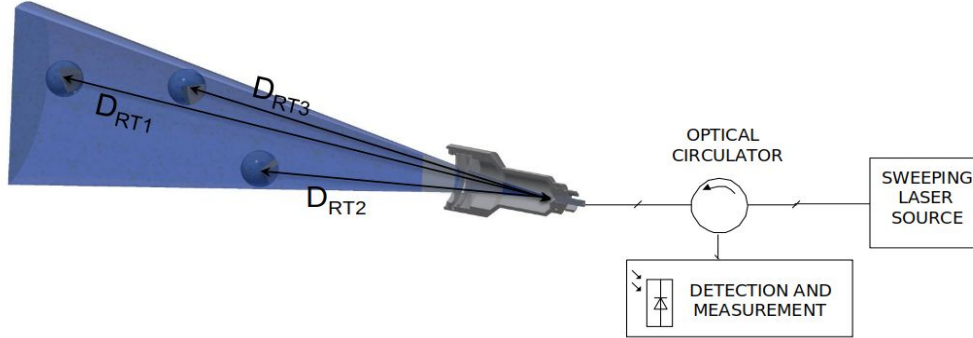
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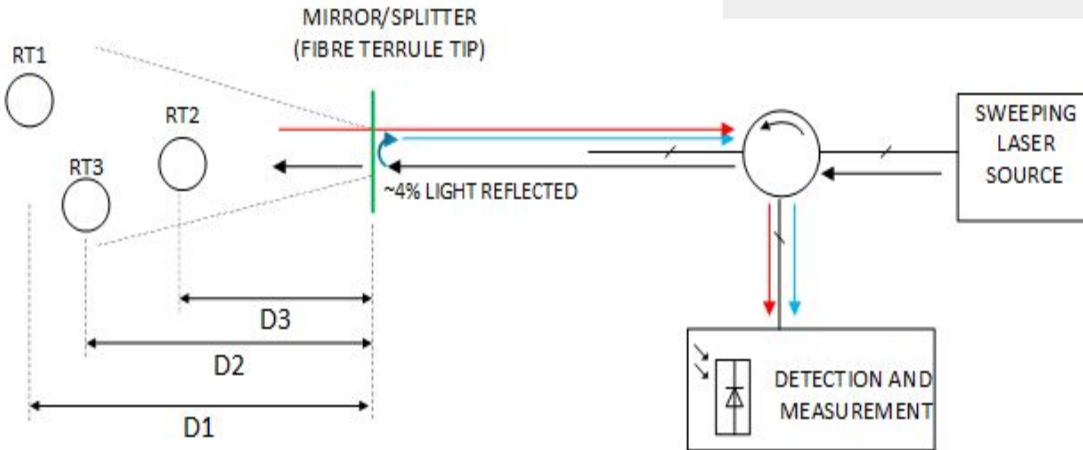
# Frequency Scanning Interferometry System



- Multi-Target Frequency Scanning Interferometry system

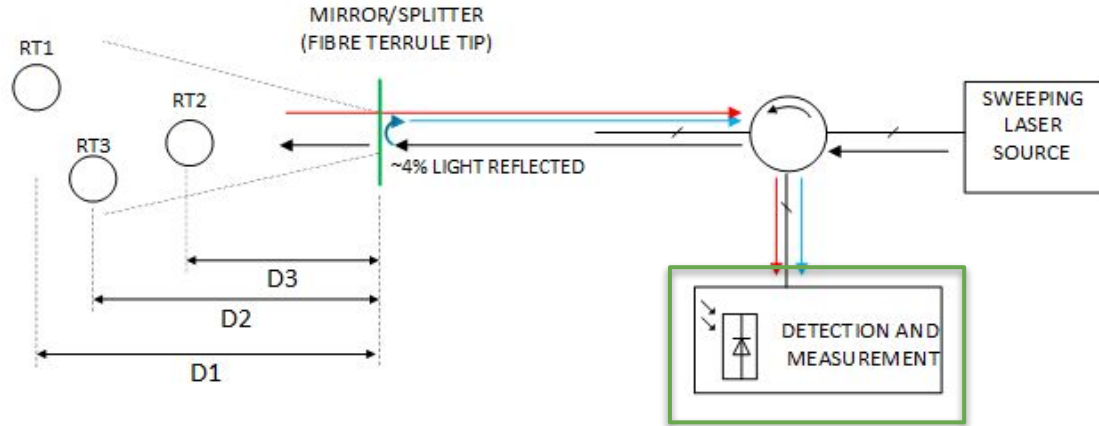
$$I(t, \tau) = A_1 \cdot \cos[2\pi(\alpha \tau_1 t + f_0 \tau_1)] + A_2 \cdot \cos[2\pi(\alpha \tau_2 t + f_0 \tau_2)] \dots$$

$A_1, A_2$  - magnitude of the signal  
 $\tau$  - time delay between signals  
 $\alpha$  - sweep rate of the laser



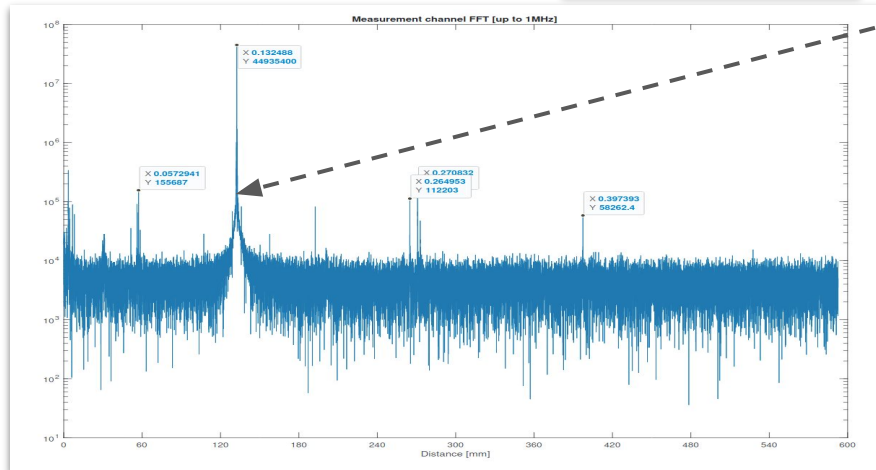


# Frequency Scanning Interferometry System



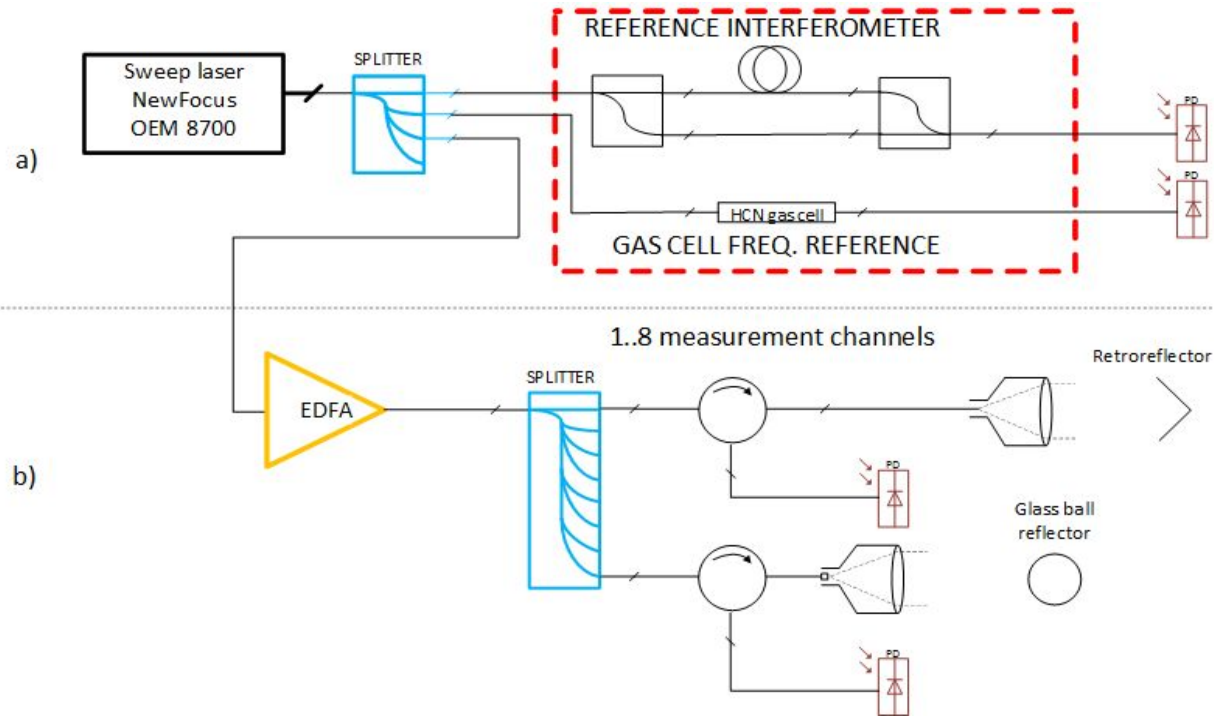
- Multi-Target Frequency Scanning Interferometry system
- Fourier Transform based analysis to obtain final distance

$$D_n = c \frac{f_{beat}[m]}{2 \frac{dv}{dt} n}$$



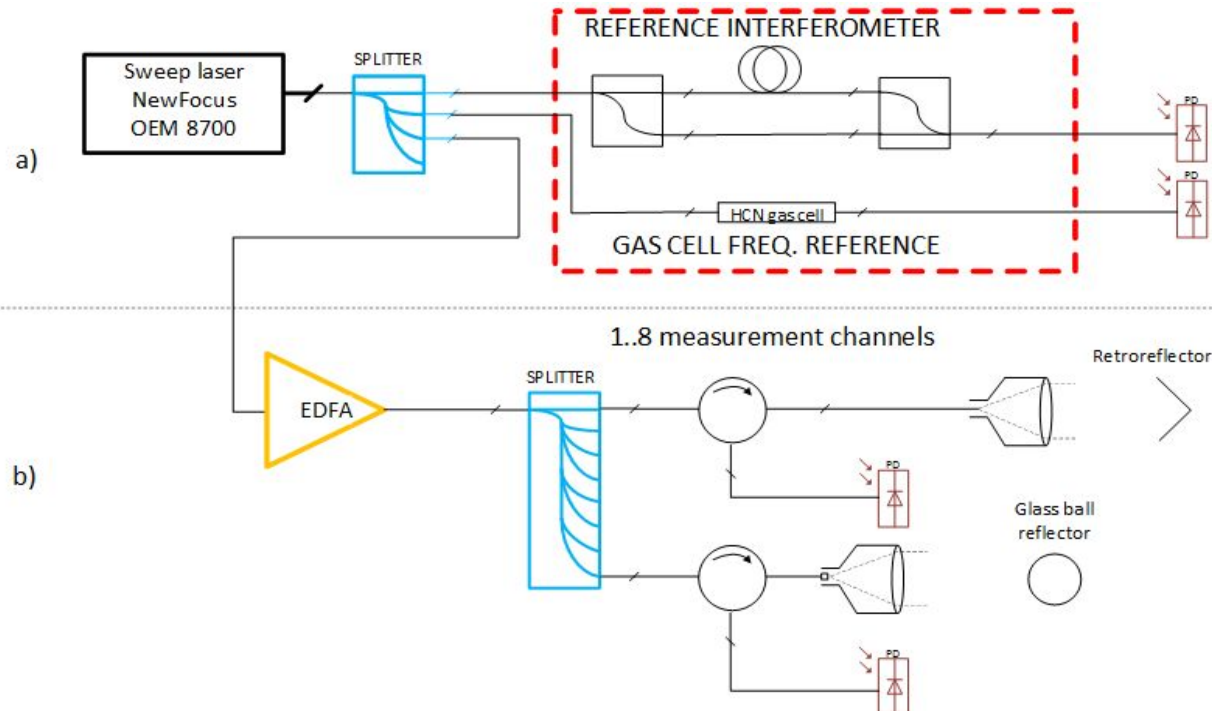
$\alpha$  – is a sweep rate of the laser (  $\alpha = dv/dt$  )  
 $n$  – refractive index of light transmission medium  
 $c$  – speed of light

# Frequency Scanning Interferometry System



- FSI interferometer schematic - a) laser delivery and signal analysis b) measurement channels
- Reference Interferometer to identify laser sweep ( $\alpha$ )

# Frequency Scanning Interferometry System



For known length  $L$  -

$$L = c \frac{m}{2\Delta\nu n}$$

$\Delta\nu$  - change of the laser frequency during sweep

$n$  - refractive index

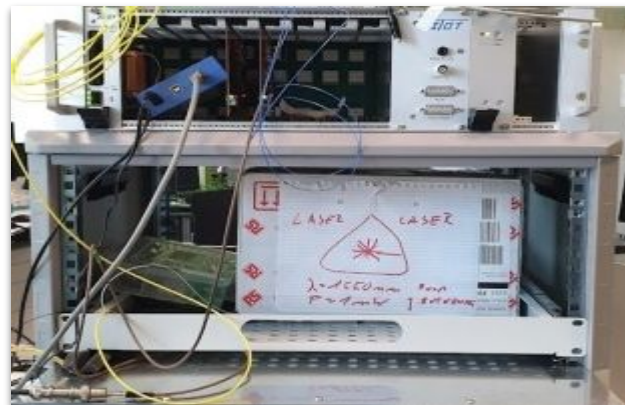
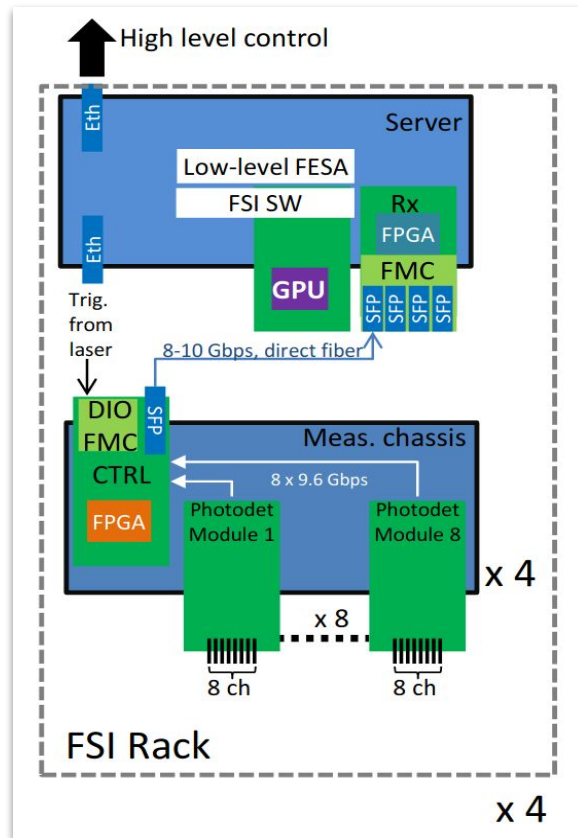
$c$  - speed of light

$m$  - number of cycles of the signal measured during the laser sweep for length  $L$

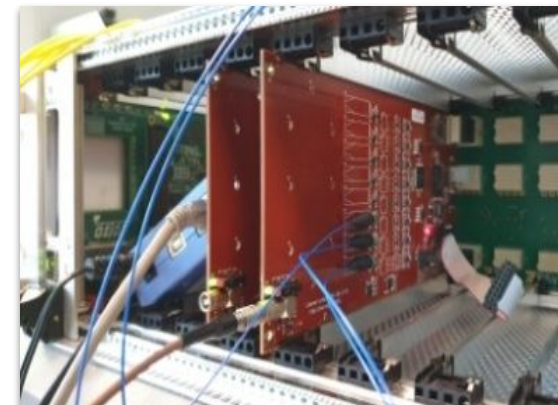
$$D = c \frac{N}{2\Delta\nu n} \text{ becomes, } D = L \frac{N}{m}$$

- FSI interferometer schematic - a) laser delivery and signal analysis b) measurement channels
- Reference Interferometer to identify laser sweep ( $\Delta\nu$ ) or ( $\alpha$ )

# Frequency Scanning Interferometry System



FSI Test Setup



FSI Photodetector Module

GPU: Nvidia RTX 3060

- Frequency Scanning Interferometry System

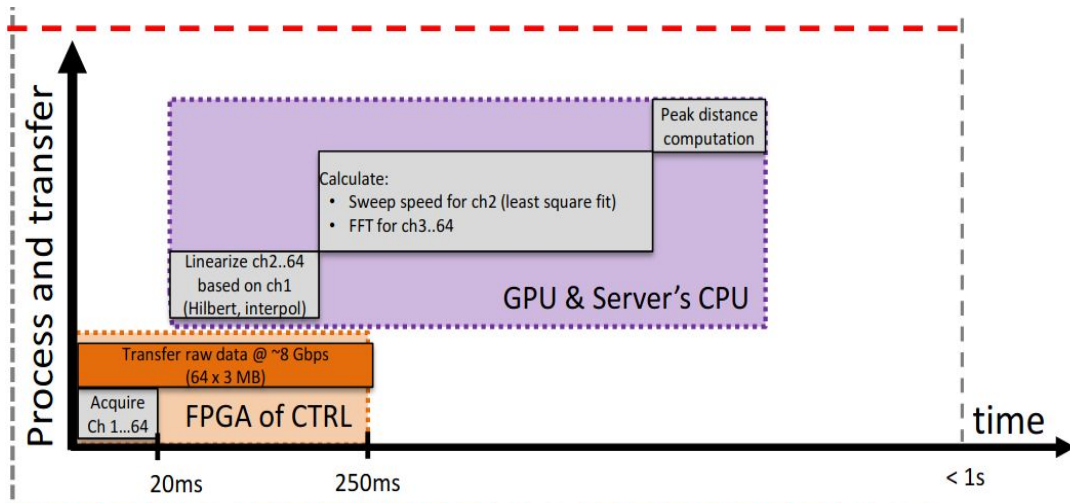
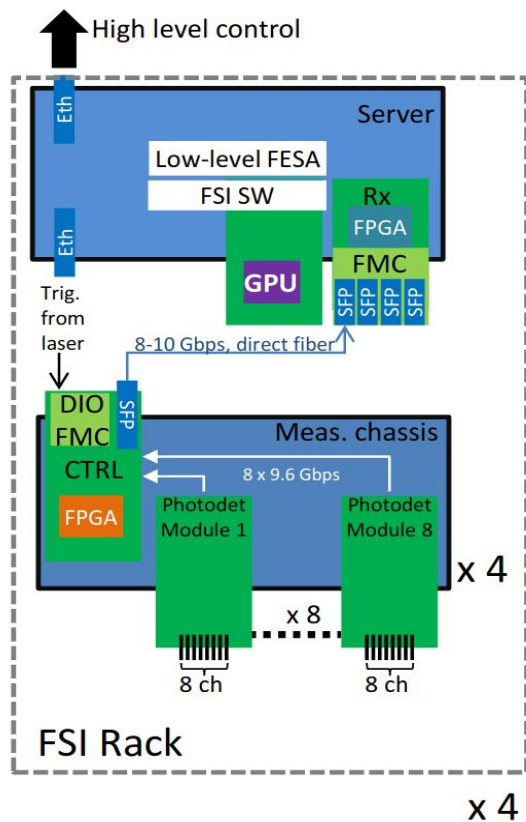
- Signal Processing in FSI

- CuPy and Signal Processing

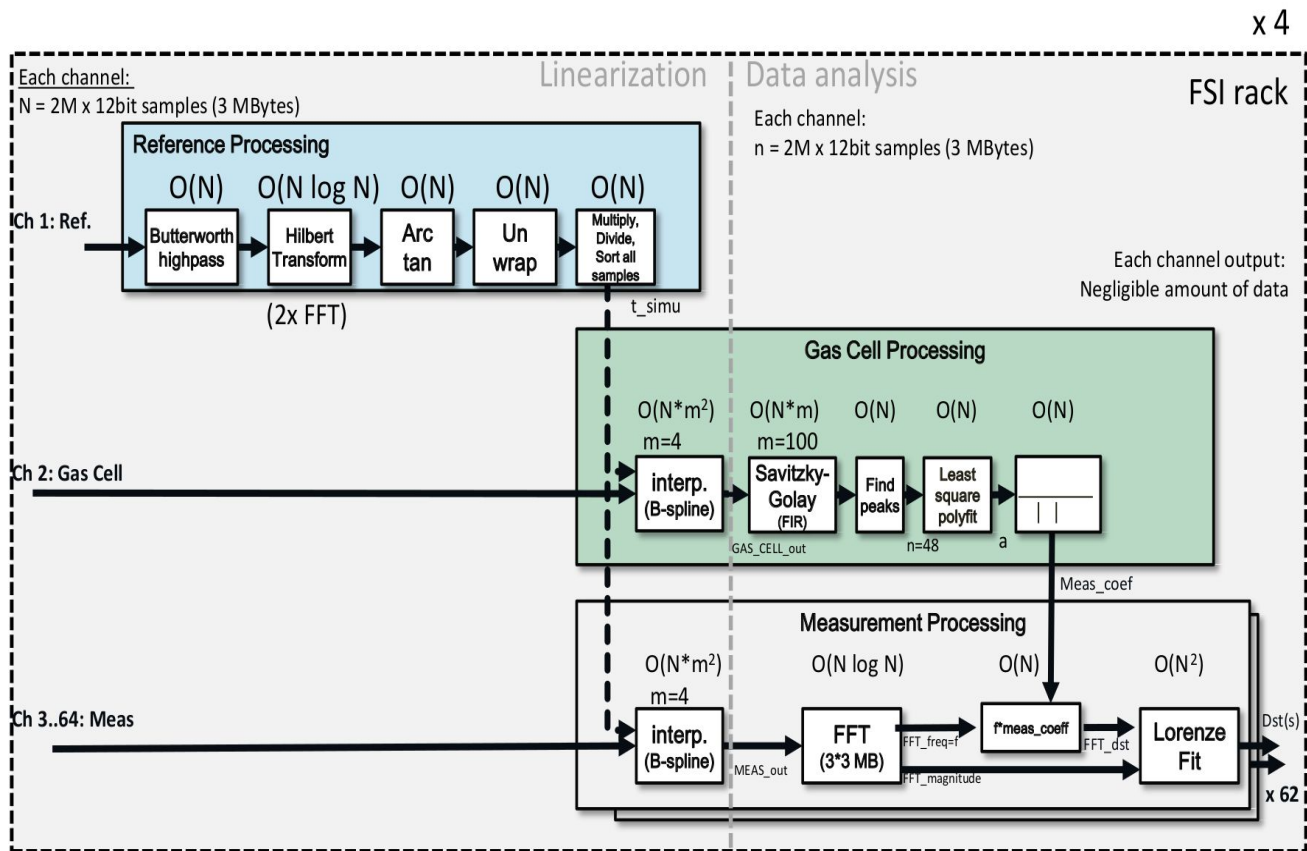
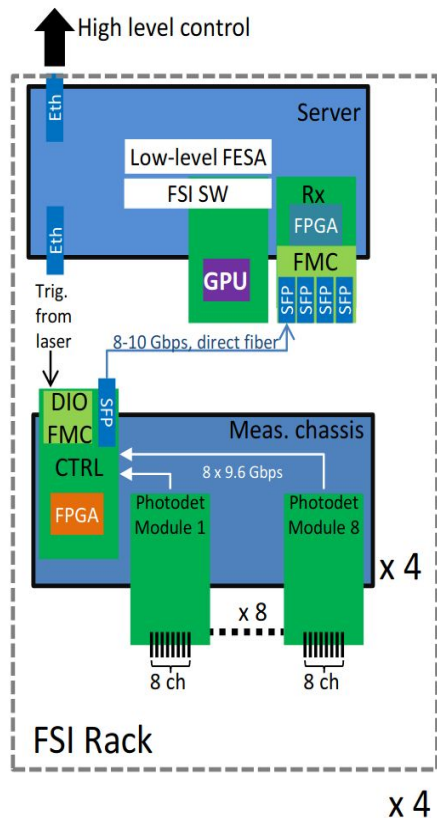
- Butterworth Filter
- Hilbert Transform
- Savitzky-Golay Filter

- Outlook

# Signal Processing in Frequency Scanning Interferometry

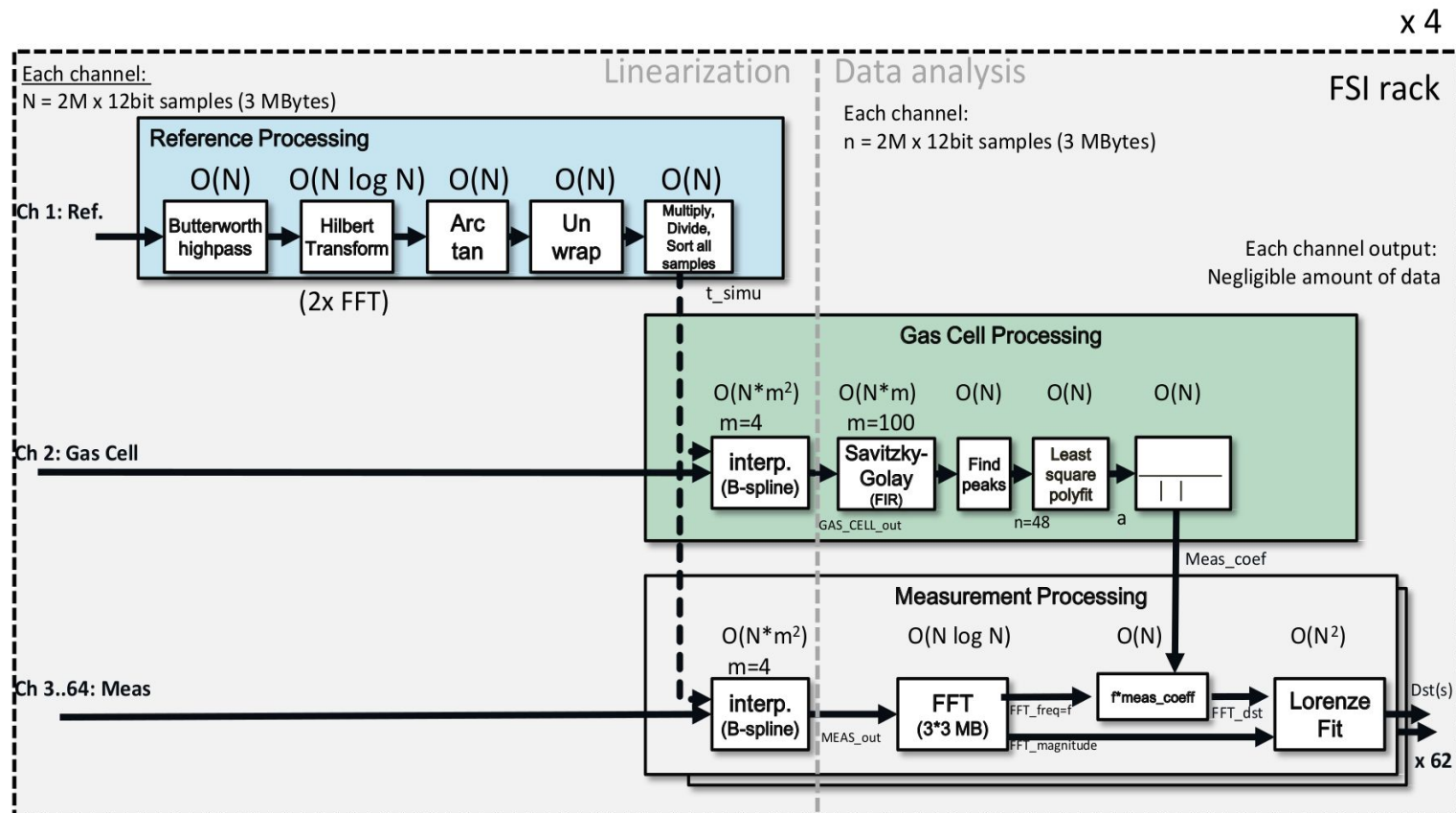


# Signal Processing in Frequency Scanning Interferometry

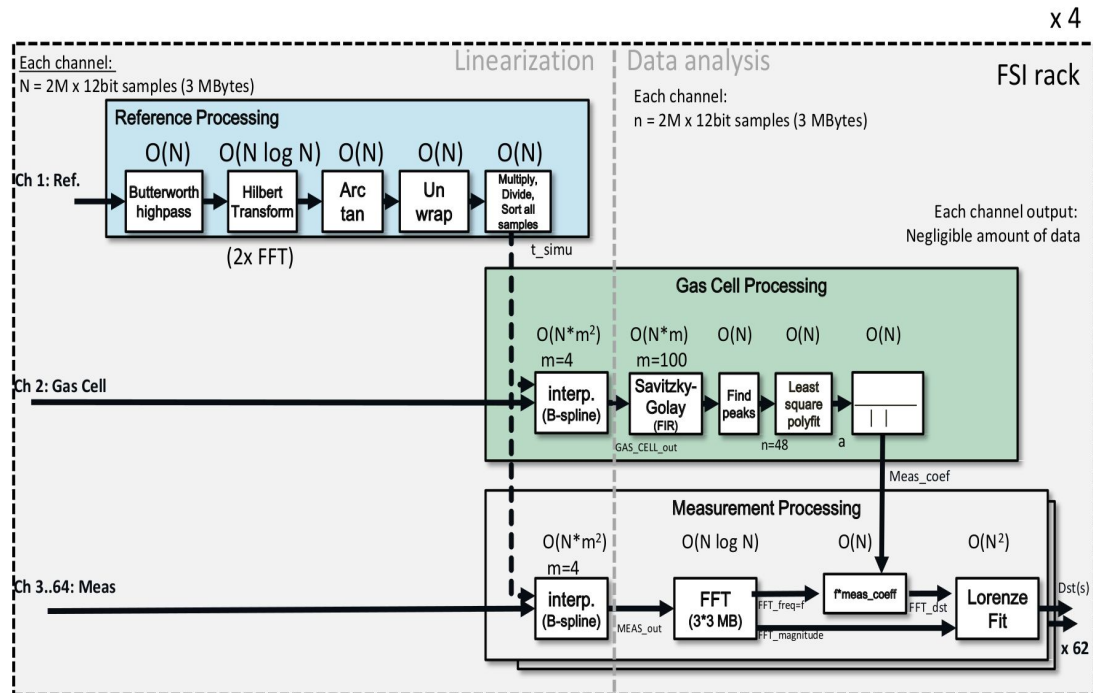
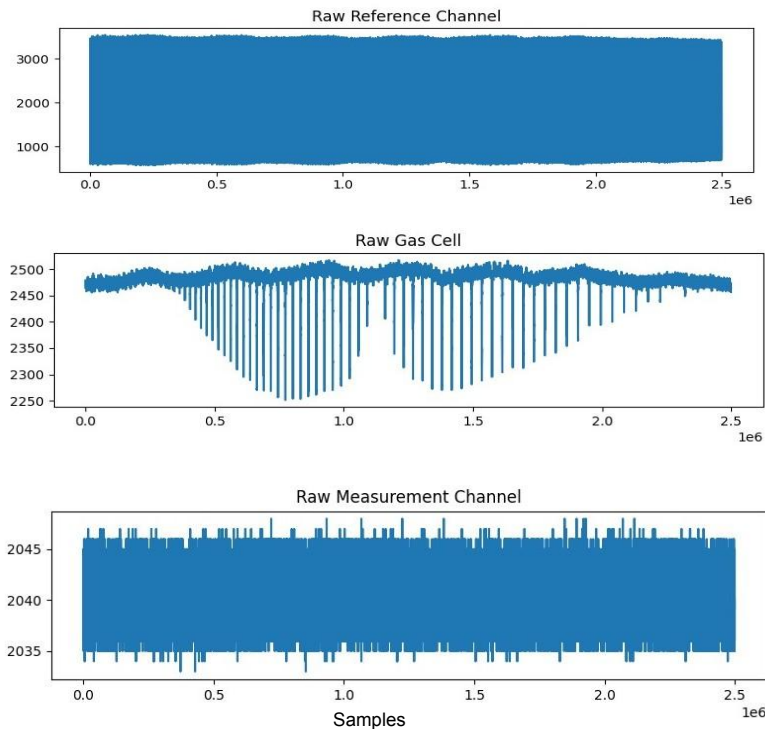




# Signal Processing in Frequency Scanning Interferometry



# Signal Processing in Frequency Scanning Interferometry

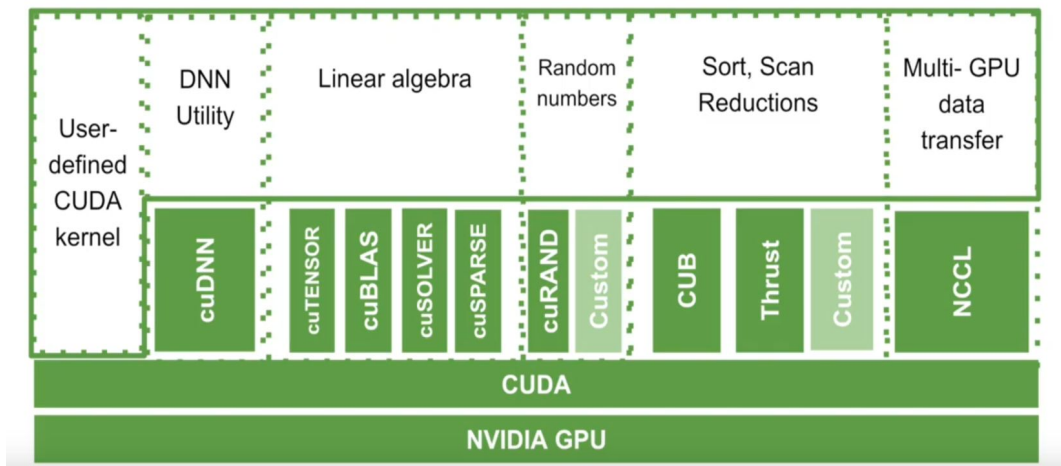


- Frequency Scanning Interferometry System
- Signal Processing in FSI
- **CuPy and Signal Processing**
  - Butterworth Filter
  - Hilbert Transform
  - Savitzky-Golay Filter
- Outlook

- It is an open-source matrix library accelerated with NVIDIA CUDA.
- It uses CUDA-related libraries including cuBLAS, cuDNN, cuRand, cuSolver, cuSPARSE, cuFFT, and NCCL to make full use of the GPU architecture



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<https://cupy.dev/>

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- Provides High performance N-dimensional array computation
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<https://docs.cupy.dev/en/stable/reference/comparison.html>
- Open Source and distributed under MIT License
- Easy to start with and scale and test
- Develop custom Kernels using JIT - NUMBA





# CuPy and Signal Processing Algorithms

Support for some of the Scipy routines is available:

- Discrete Fourier Transform  
`fft`, `rfft`, `ifft`, `fft2`, `irfft`, `fftshift`
- Linear Algebra  
`lu`, `eigsh`, `lsqr`
- Multidimensional Image processing  
`gaussian_filter`, `laplace`, `convolve`, `grey_dilation`, `grey_erosion`
- Signal Processing  
`fftconvolve`, `correlate`, `medfit`
- Sparse Matrices  
..... and many more

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- Cusignal - RAPIDS

<https://docs.rapids.ai/api/cusignal/stable/api.html>

# CuPy and Signal Processing Algorithms

Considerations while porting to GPU:

- 1] Check the data format
- 2] Check number of Device to Host and Host to Device Memory Transactions
- 3] No recursion functions are present
- 4] GPU is good if you have large data set to process and have possibility of either Data parallelism or Task parallelism

- Frequency Scanning Interferometry System
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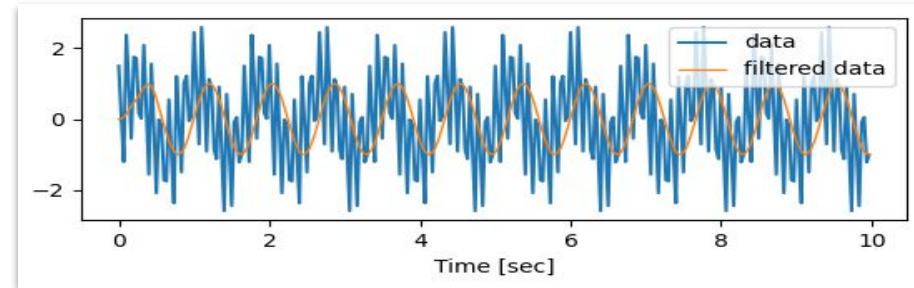
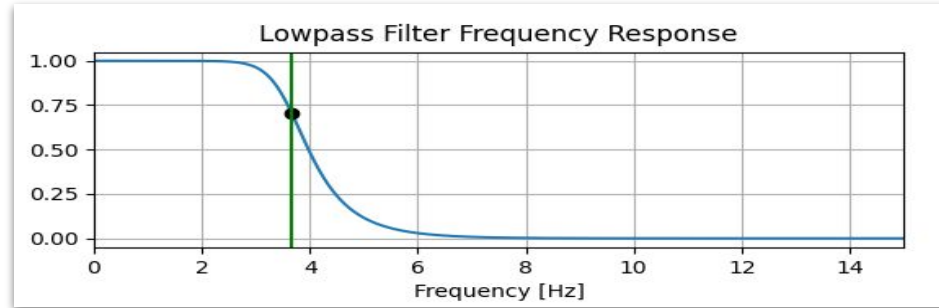
# Butterworth Filter

- To reduce the background noise and suppress the interfering signals by removing some frequencies - filters are used
- The frequency range which is allowed : passband and the range which is suppressed is stopband
- Butterworth filter provides maximum flat response in passband i.e least ripple
- Transfer Function of Butterworth Filter:

$$|H_b(j\omega)| = \frac{1}{\sqrt{1 + (\omega/\omega_c)^{2N}}}$$

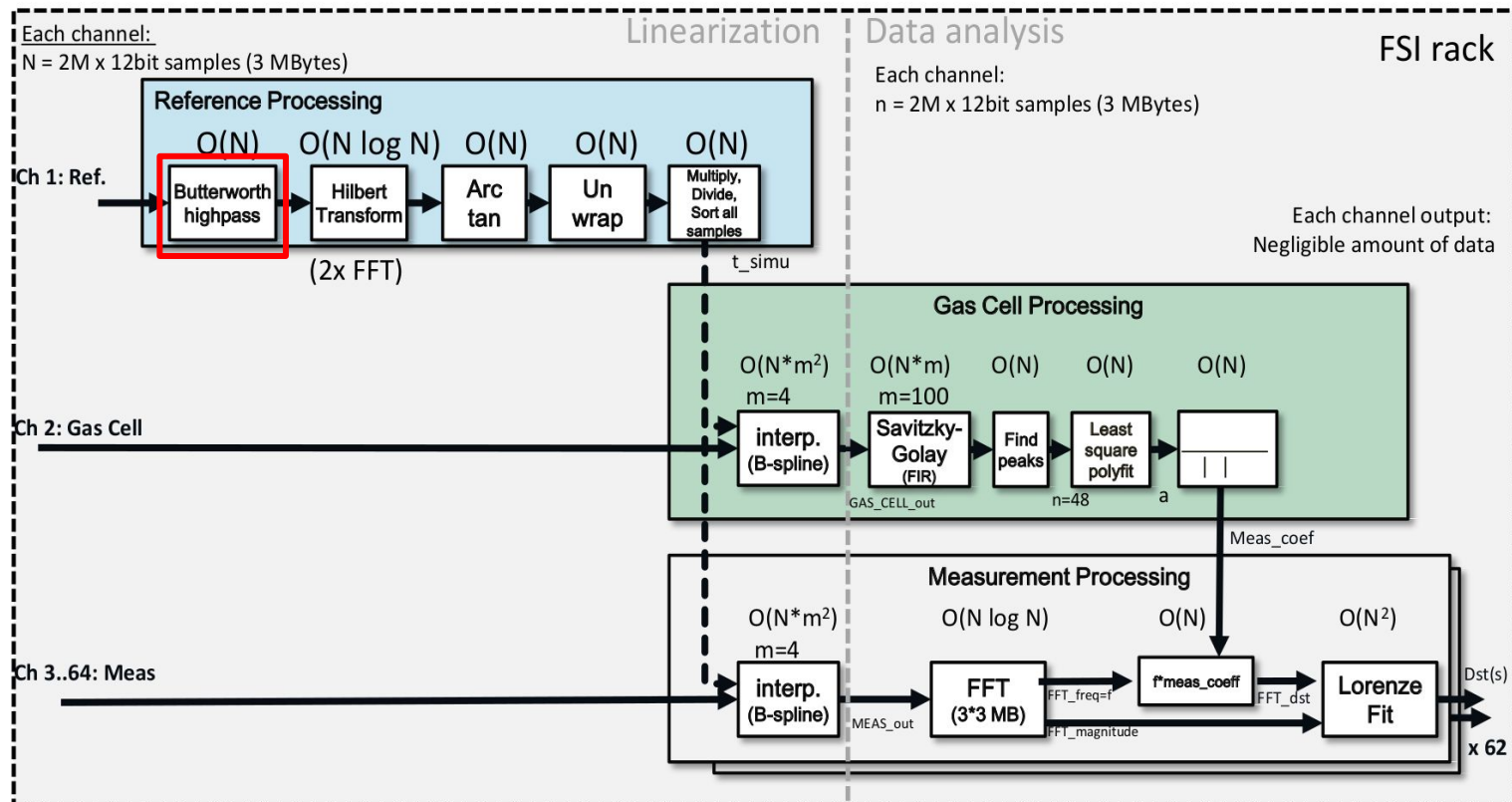
$\omega_c$  = cut-off frequency

N = Order of Filter



# Butterworth High Pass Filter

x 4



# Butterworth High Pass Filter in CuPy

## 1] Calculate z,p,k for Lowpass analog prototype

```
z = cp.array([])
m = cp.arange(-N+1, N, 2)
p = -cp.exp(1j * pi * m / (2 * N))
k = 1
```

## 2] Pre-warp frequencies for Digital Filter

```
warped = 2 * fs * cp.tan(pi * Wn / fs)
```

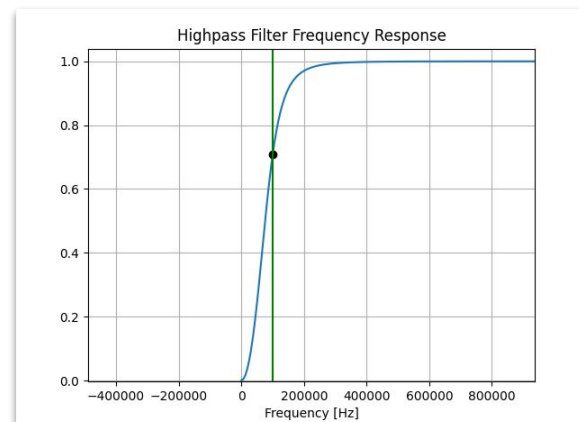
## 3] Convert Lowpass analog prototype to Highpass, wo= cutoff frequency

```
z_hp = wo / z
p_hp = wo / p
z_hp = cp.append(z_hp, cp.zeros(degree))
k_hp = k * cp.real(cp.prod(-z) / cp.prod(-p))
```

## 4] Return digital filter parameters using Bilinear Transformation $fs = 2.0*fs$

```
z_z = (fs + z) / (fs - z)
p_z = (fs + p) / (fs - p)
z_z = cp.append(z_z, -cp.ones(degree))
k_z = k * cp.real(cp.prod(fs - z) / cp.prod(fs - p))
```

## 5] Convert to b/a form from z,p,k





# Performance Analysis: Butterworth Filter

## 1] Calculate filter Transfer Function

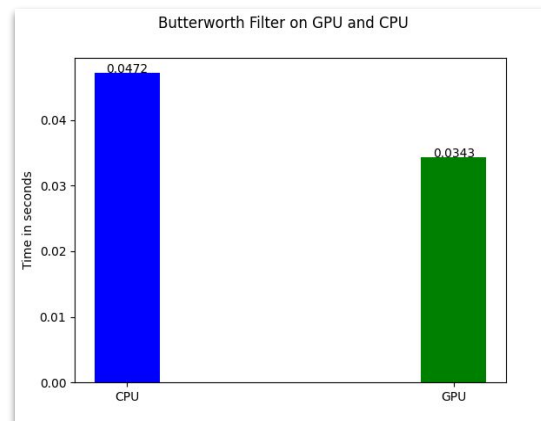
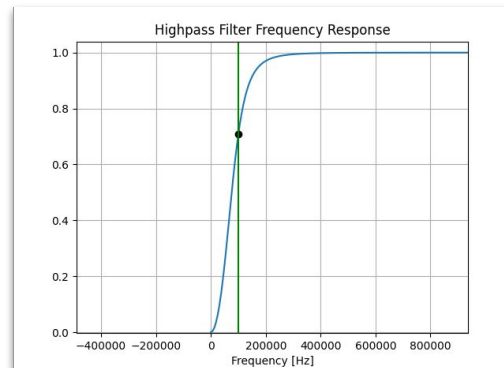
```
nyq = 0.5 * fs
normal_cutoff = cutoff / nyq
b, a = butter(order, normal_cutoff, btype='high', analog=False)
```

## 2] Apply using lfilter

```
data=Reference_cell
ret = lfilter(b, a, data)
```

## 3] Apply using FFT

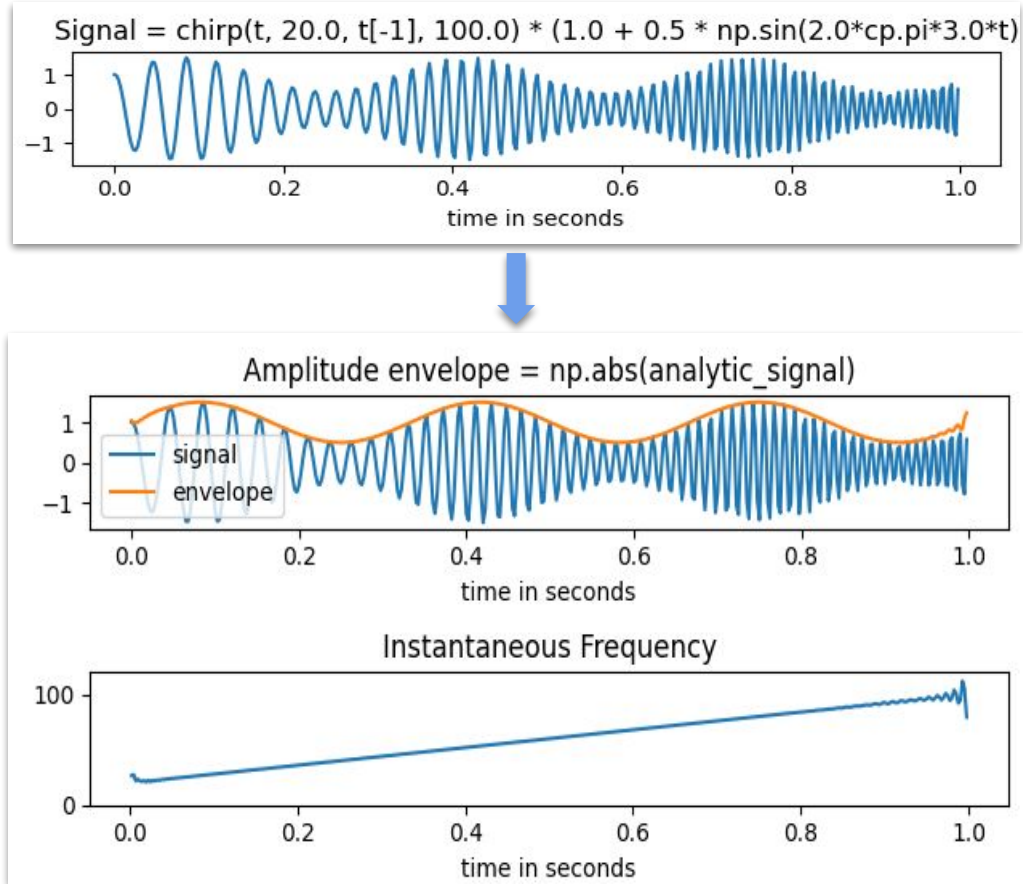
```
delta = np.zeros(np.size(t))
delta[1] = 1;
filter_butter = lfilter(b, a, delta)
filter_butter = cp.array(filter_butter)
filter_fft = cupyx.scipy.fft.fft(filter_butter)
data_fft = cupyx.scipy.fft.fft(data)
res_fft = cp.multiply(data_fft, filter_fft)
res_fft = cp.array(res_fft)
res = cupyx.scipy.fft.irfft(res_fft)
```



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# Hilbert Transform

- It is useful for calculating instantaneous attributes of a time series, especially the amplitude and the frequency.
- The instantaneous amplitude is the amplitude of the complex Hilbert transform and the instantaneous frequency is the time rate of change of the instantaneous phase angle.
- It returns Analytic Signal 'x'  
 $x = x_r + jx_i$   
 $x_r$  is the original data  
 $x_i$  and an imaginary part, which contains the Hilbert transform. The imaginary part is a version of the original real sequence with a  $90^\circ$  phase shift



# Hilbert Transform in CuPy

## 1] Compute Fast Fourier Transform of Real-valued Signal

```
Xf = cupyx.scipy.fft.fft(x, N, axis=axis)
h = cp.zeros(N)
```

## 2] Rotate the Fourier Coefficients to obtain imaginary part

```
if N % 2 == 0:
    h[0] = h[N // 2] = 1
    h[1:N // 2] = 2
else:
    h[0] = 1
    h[1:(N + 1) // 2] = 2
```

```
if x.ndim > 1:
    ind = [cp.newaxis] *
    x.ndim
    ind[axis] = slice(None)
    h = h[tuple(ind)]
```

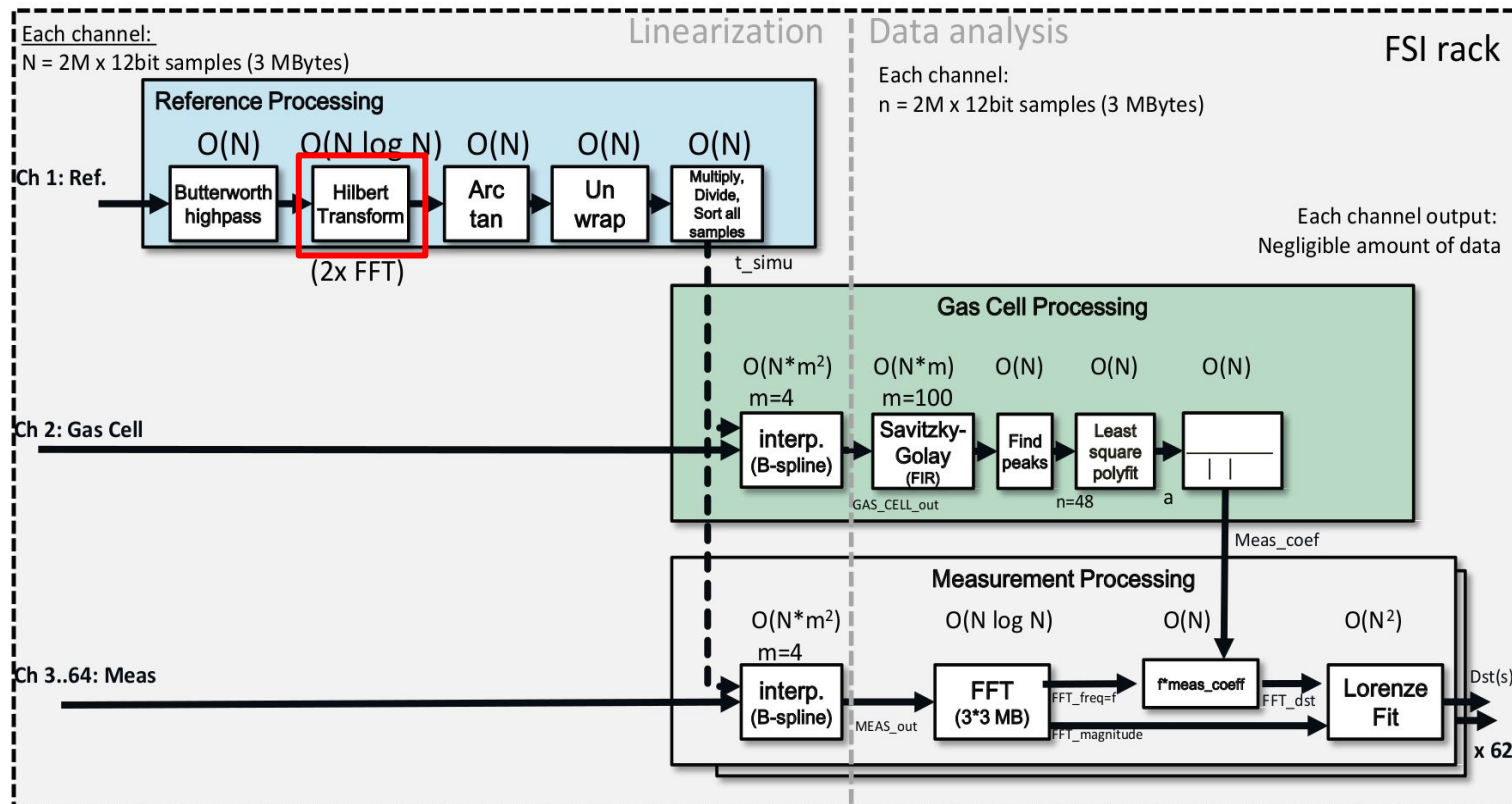
## 3] Compute Inverse Fourier Transform to get the Analytic Signal

```
x = cupyx.scipy.fft.ifft(Xf * h, axis=axis)
```

## 4] Calculate Instantaneous Frequency and phase

# Hilbert Transform

x 4



# Hilbert Transform of Reference Cell Data

```
def DataLinearize(Tinterval, REF_IFM, plot='false') :

    fs= 1/Tinterval
    REF_IFM = filterDataButterworthHighpass(REF_IFM, 100000, fs)
    t = cp.linspace(0.0, len(REF_IFM)*Tinterval, num=len(REF_IFM))
    start=time.time()
    analytic_signal = hilbert_gpu(REF_IFM, axis=0)
    Time_GPU_HT = time.time() - start
    REF_IFM = cp.asnumpy(REF_IFM)

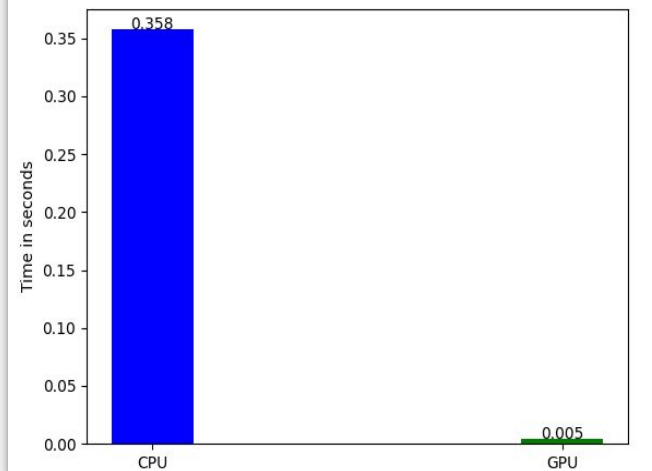
    start=time.time()
    analytic_signal2 = hilbert(REF_IFM, axis=0)
    Time_CPU_HT = time.time() - start
    print("Time taken by CPU %s" %(time.time()-start))

    phase = cp.angle(analytic_signal)
    instantaneous_phase = cp.unwrap(phase, axis=0)
    instantaneous_phase = cp.asnumpy(instantaneous_phase)
    del phase
    del analytic_signal

    f_theor = cp.max(instantaneous_phase)/(2*3.14*(Tinterval*len(instantaneous_phase)))
    t_simu = cp.array(instantaneous_phase/(2*3.14*f_theor))
    t_simu[0] = 0
    t_simu=cp.sort(t_simu)
    return t,t_simu,Time_GPU_HT,Time_CPU_HT
```

# Performance Analysis: Hilbert Transform

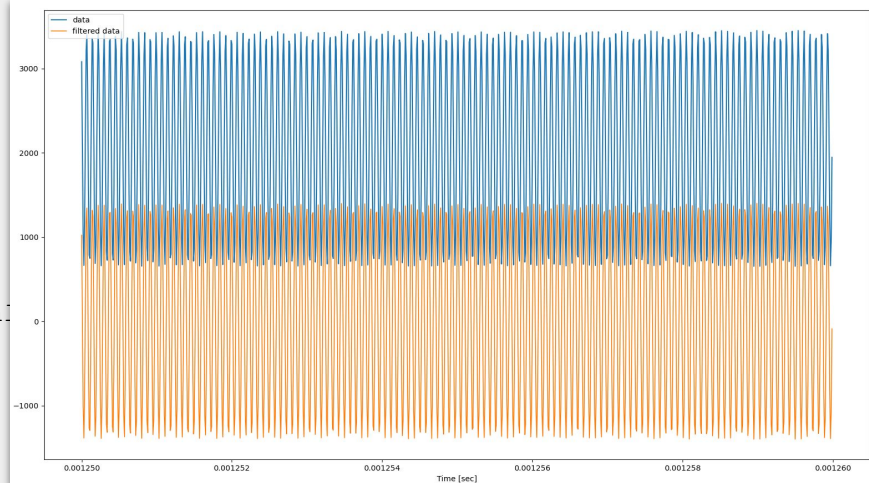
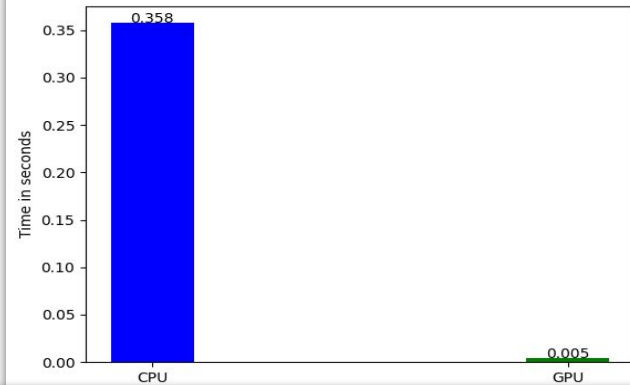
```
def DataLinearize(Tinterval, REF_IFM, plot='false') :  
  
    fs= 1/Tinterval  
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    t_simu[0] = 0  
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```



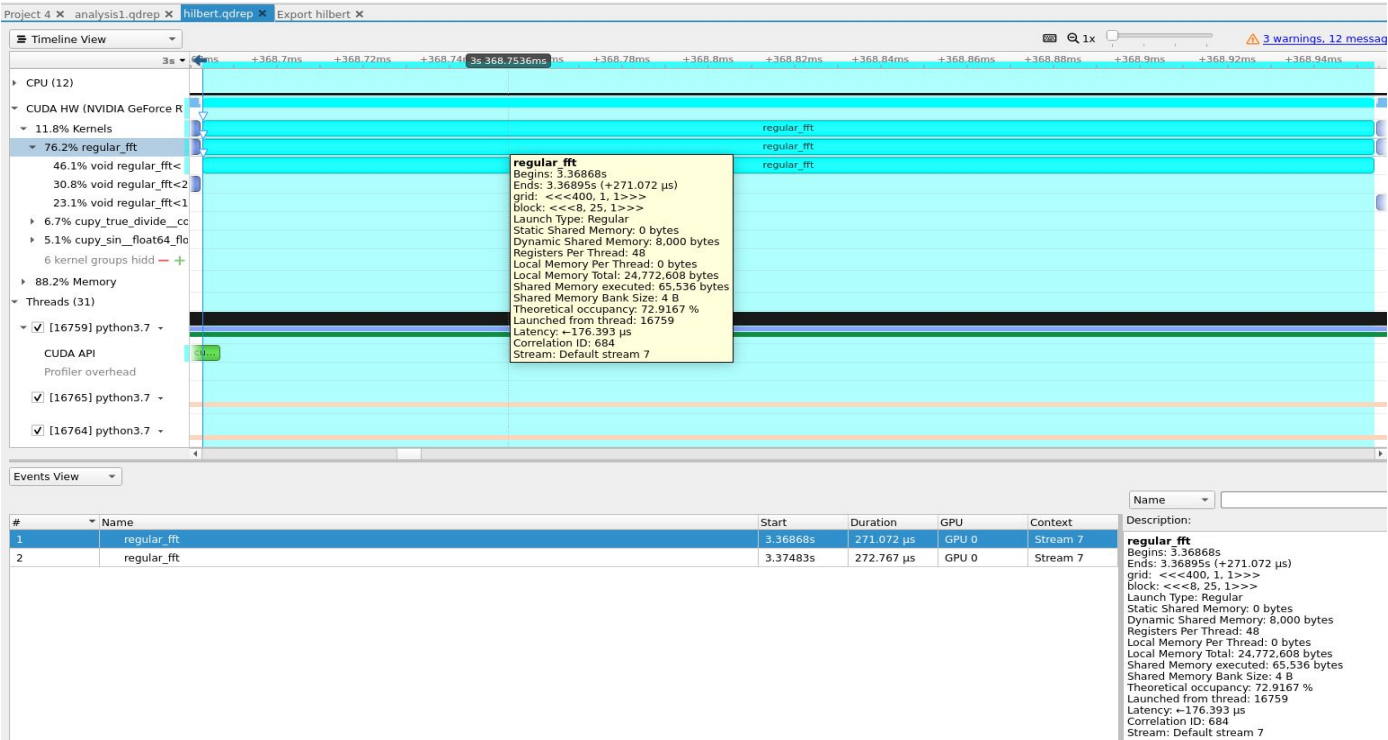


# Performance Analysis: Hilbert Transform

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    fs= 1/Tinterval  
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```



# Performance Analysis: Hilbert Transform



Performance of FFT Cupy Kernel in timeline view

- Frequency Scanning Interferometry System

- Signal Processing in FSI

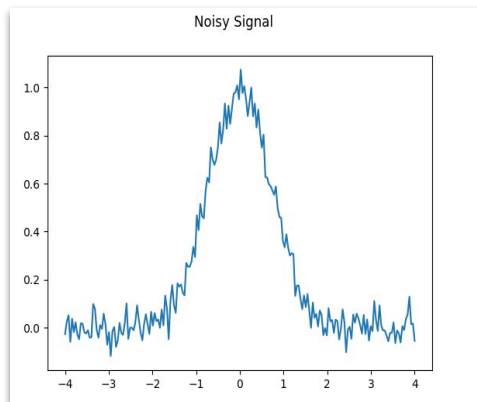
- **CuPy and Signal Processing**

- Butterworth Filter
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# Savitzky-Golay Filter

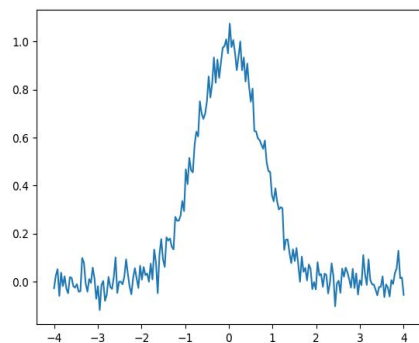
- It is a digital filter that can be applied to a set of digital data points for smoothing the data without distorting the original signal tendency or to calculate the derivative of signal.
- Find least-square fit for each window and replace each data point with coefficient of that polynomial
- But the smoothed output obtained by fitting polynomial to each window is equivalent to convolution of convolution coefficients (weighting coefficients) with each window/segment



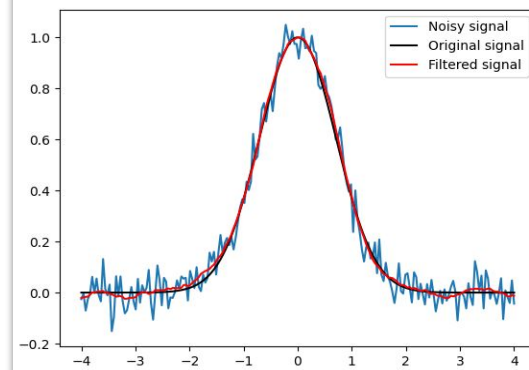
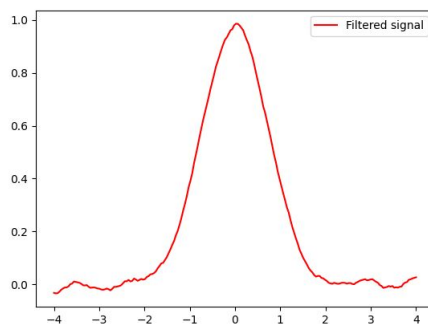
# Savitzky-Golay Filter

- It is a digital filter that can be applied to a set of digital data points for smoothing the data without distorting the original signal tendency or to calculate the derivative of signal.
- Find least-square fit for each window and replace each data point with coefficient of that polynomial
- But the smoothed output obtained by fitting polynomial to each window is equivalent to convolution of 'convolution coefficients(weighting coefficients)' with each window/segment

Noisy Signal



Filtered Signal



# Savitzky-Golay Filter in CuPy

## 1] Precompute the coefficients based on order and window length

```
b = cp.array([[k**i for i in range(order+1)] for k in range(-half_window, half_window+1)])  
m = cp.linalg.pinv(b)  
m = cp.multiply(m[deriv] , cp.multiply(cp.power(rate,deriv), factorial(deriv)))
```

## 2] Pad the signal at the extremes

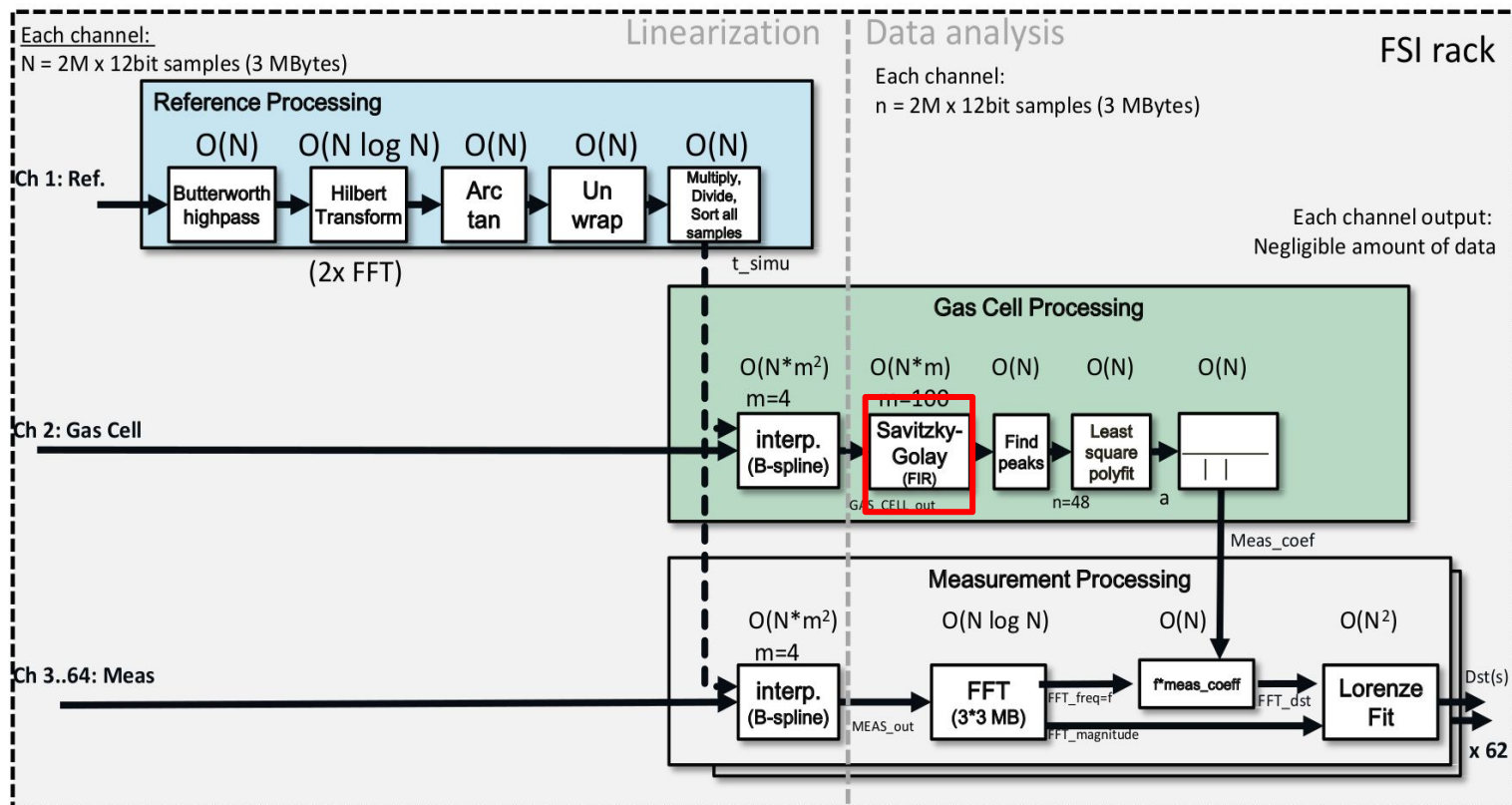
```
extr_begin = y[0] - cp.abs( y[1:half_window+1][::-1] - y[0] )  
extr_end   = y[-1] + cp.abs(y[-half_window-1:-1][::-1] - y[-1])  
y = cp.concatenate((extr_begin, y, extr_end))
```

## 3] Convolve signal with calculated coefficients

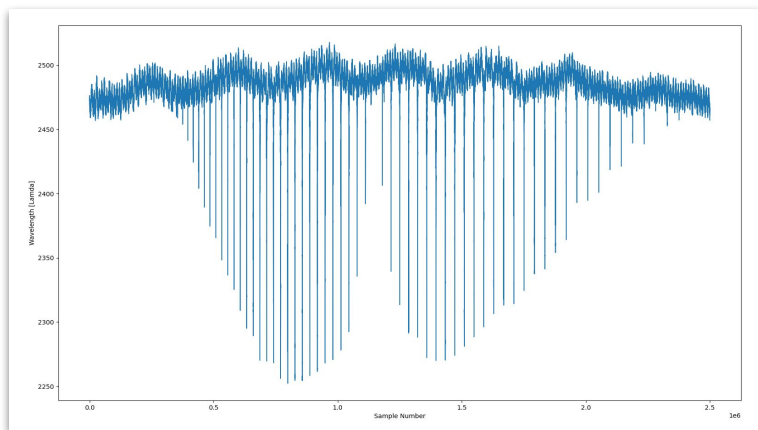
```
result = cp.convolve( m[::-1], y, mode='valid')
```

# Applying Savitzky-Golay Filter to Gas Cell Data

x 4



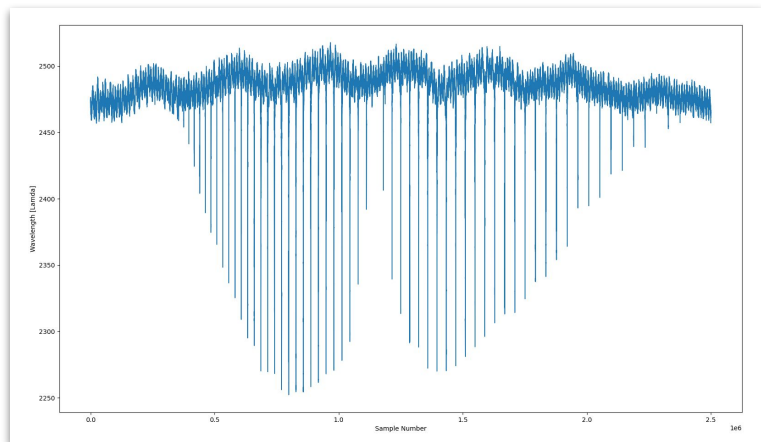
# Applying Savitzky-Golay Filter to Gas Cell Data



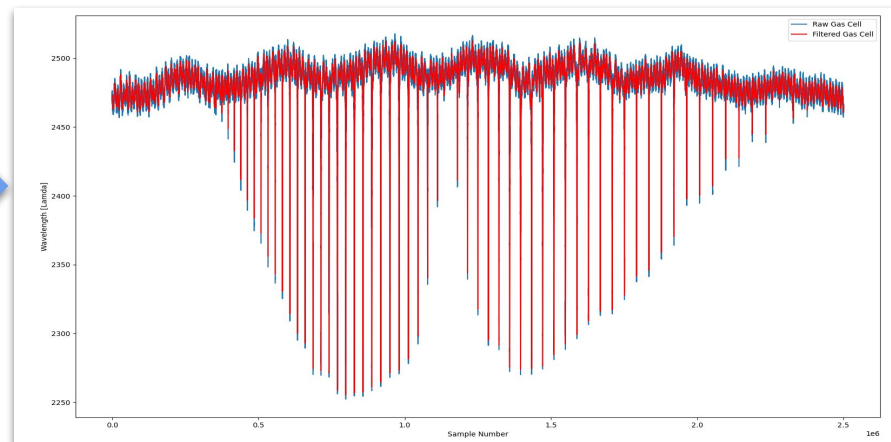
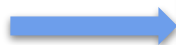
Spectrum of Hydrogen Cyanide (HCN) SRM2519a absorption gas cell -used to track the “true” frequency of the sweeping laser



# Applying Savitzky-Golay Filter to Gas Cell Data

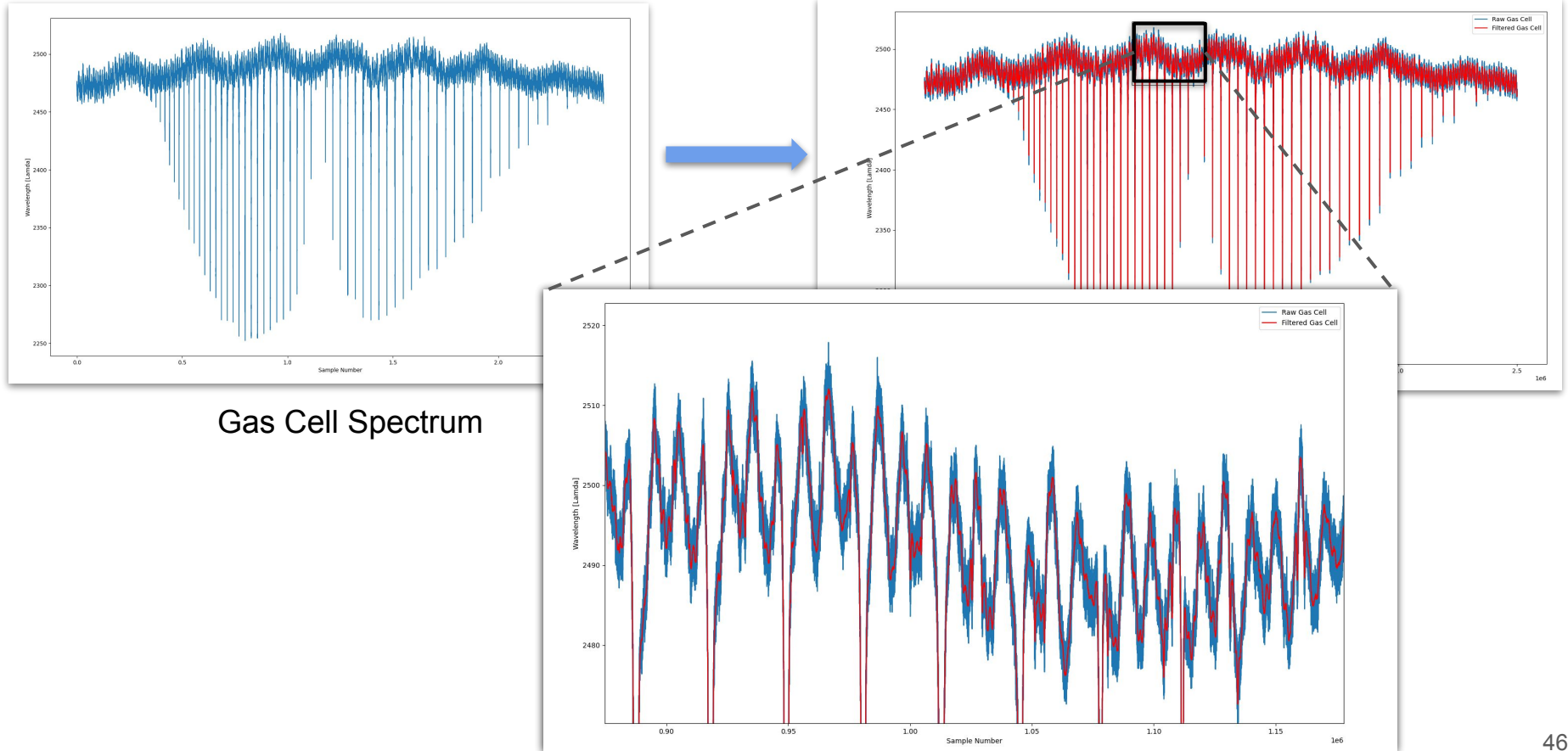


Gas Cell Spectrum



Filtered Gas Cell

# Applying Savitzky-Golay Filter to Gas Cell Data

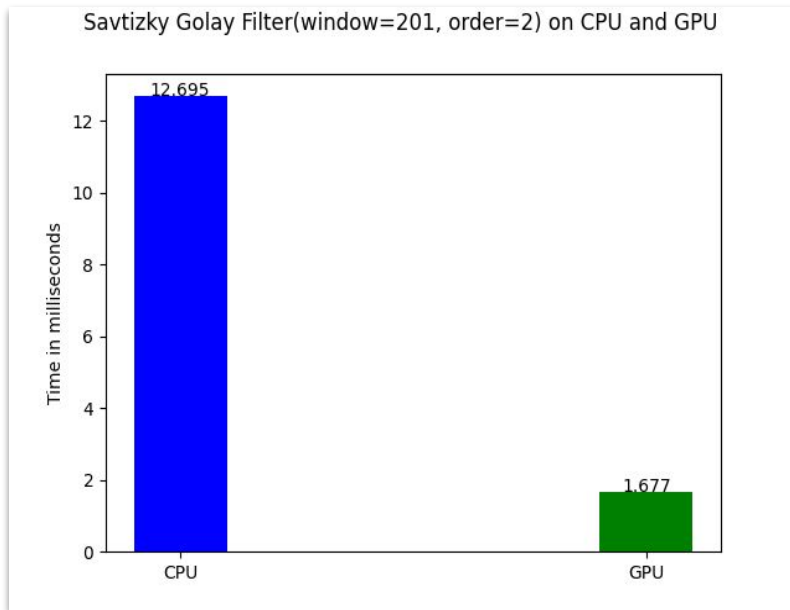


Gas Cell Spectrum

# Performance Analysis: Savitzky-Golay Filter

```
start=time.time()
savg_cpu = scipy.signal.savgol_filter(FilteredGasCell, 201, 2)
Time_CPU_SG=time.time()-start

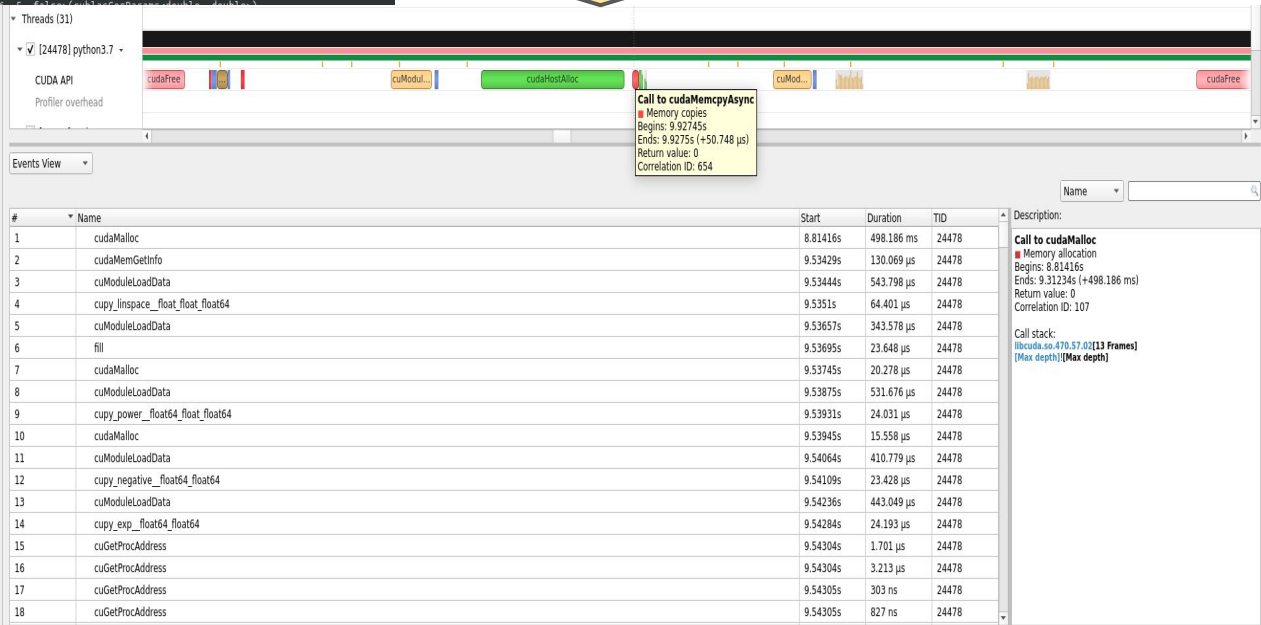
FilteredGasCell = cp.array(FilteredGasCell)
start=time.time()
FilteredGasCell = savgol_filter_gpu(FilteredGasCell, window_size=201, order=2)
Time_GPU_SG=time.time()-start
```



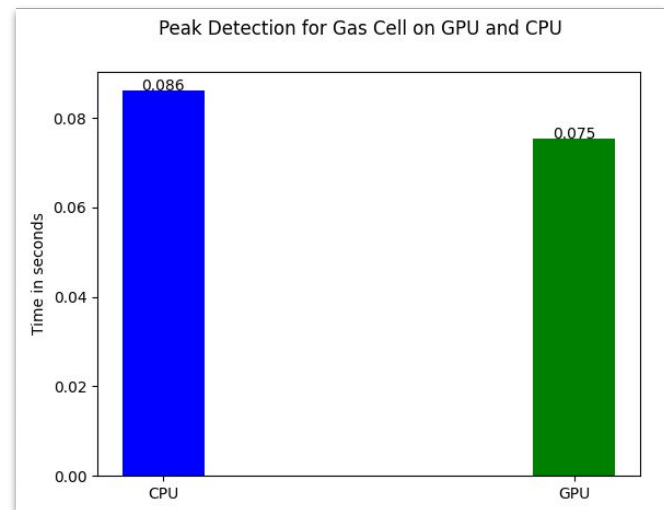
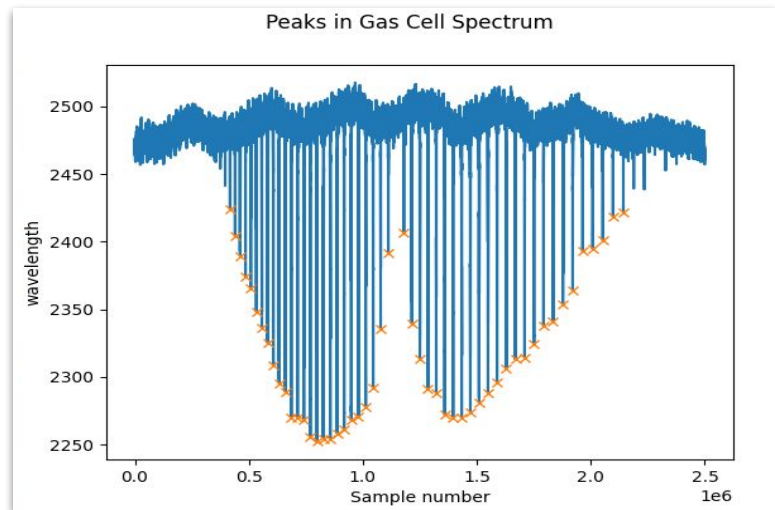
## Performance Analysis: Savitzky-Golay Filter

CUDA Kernel Statistics:						
Time(s)	Total Time (ns)	Instances	Average	Minimum	Maximum	Name
29.6	131,649	1	131,649.0	131,649	131,649	void generate_seed_pseudo_rng_config<curandOrderingXORWOW, (curandOrdering)101>>(unsigned long long, ...)
12.2	54,272	6	9,045.3	8,320	10,336	void cutlass::Kernel<cutlass_80_tensorop_d84gemv_32x32_16xNt_align1<cutlass_80_tensorop_d84gemv_...
6.2	27,424	1	27,424.0	27,424	27,424	void geqr2_snm<double, double, 8, 5, 5>(int, int, double*, unsigned long, double*, int)
4.0	18,015	2	9,007.5	8,895	9,120	void composite_2way_fft_r2c<270u, 9u, 20, (padding_t)0, (twiddle_t)0, (loadstore_modifier_t)2, 10u,...
2.8	12,672	3	4,224.0	3,360	4,768	void larfg_kernel_fast<double, double, 6>(int, double*, double*, int, double*)
2.5	11,296	4	2,824.0	1,984	3,552	copy_cpy_float64_float64
2.3	10,112	0	10,112.0	10,112	10,112	void cutlass::Kernel<cutlass_80_tensorop_d84gemv_32x32_16xNt_align1<cutlass_80_tensorop_d84gemv_...
2.2	9,760	1	9,760.0	9,760	9,760	void composite_2way_fft_c2r<270u, 9u, 20, (padding_t)0, (twiddle_t)0, (loadstore_modifier_t)2, 10u,...
2.1	9,288	5	1,857.6	1,824	1,888	void lacy_kernel<double, double, 5, 3>(int, int, double const*, unsigned long, double*, unsigned l...
2.0	8,832	4	2,208.0	1,824	2,496	void ger_kernel<double, double, 25>
1.7	7,521	4	1,880.3	1,792	1,984	void larft_nmus_tau<double>(double)
1.5	6,560	3	2,186.7	2,080	2,272	copy_subtract_float64_float64_flo
1.4	6,080	2	3,040.0	2,944	3,136	void larft_T_32<double, 256>(int,
1.4	6,047	2	3,023.5	2,943	3,104	void cuds_genv_t_kernel<double, 8,
1.3	5,728	1	5,728.0	5,728	5,728	copy_power_float64_float64_float64
1.3	5,664	2	2,832.0	2,080	3,584	copy_add_float64_float64_float64
1.3	5,632	3	1,877.3	1,760	1,952	void gebd2_set_D<double, double>(L
1.2	5,472	3	1,824.0	1,760	1,952	void gebd2_set_AII<double, double>
1.2	5,312	2	2,656.0	2,624	2,688	void larft_vtv_32<double, 128>(int
1.2	5,281	0	5,281.0	5,281	5,281	void gen_generate_curandstateXORWOW
1.1	5,184	3	1,728.0	1,696	1,760	void batch_eye_kernel<double, 5, 3
1.1	5,120	2	2,560.0	2,528	2,592	void larfb_vtc<double, 128>(int, i
1.1	4,832	2	2,416.0	2,016	2,816	copy_multiply_float64_float64_flo
1.0	4,609	2	2,304.5	2,049	2,560	copy_absolute_float64_float64
0.8	3,680	2	1,840.0	1,824	1,856	void rot_kernel<double, double, 25
0.8	3,616	2	1,808.0	1,792	1,824	void gebd2_set_AIPI<double, doubl
0.8	3,616	2	1,808.0	1,792	1,824	void swap_kernel<double, 256>(int,
0.8	3,584	2	1,792.0	1,792	1,792	void gebd2_set_E<double, double>(L
0.8	3,584	2	1,792.0	1,760	1,824	void scal_kernel<double, double, 2
0.7	3,330	2	1,665.0	1,633	1,697	void larfg_set_tau_zero<double>(do
0.7	3,328	2	1,664.0	1,664	1,664	void orqqr_step1_kernel<double, 5,
0.7	3,232	1	3,232.0	3,232	3,232	copy_true_divide_float64_float64
0.6	2,816	2	1,408.0	1,816	2,816	void transpose_rewdirite_alignment
0.6	2,784	2	1,392.0	2,784	2,784	copy_exp_float64_float64
0.6	2,720	1	2,720.0	2,720	2,720	void gemvNSP_kernel<double, double
0.6	2,655	1	2,655.0	2,655	2,655	copy_max
0.6	2,655	1	2,655.0	2,655	2,655	copy_scan_naive
0.6	2,464	1	2,464.0	2,464	2,464	void ornqr_cta_kernel<double, 4, 0
0.5	2,304	1	2,304.0	2,304	2,304	copy_multiply_float64_float64_flo
0.5	2,272	1	2,272.0	2,272	2,272	copy_less_equal_complex16_float64_b
0.5	2,240	1	2,240.0	2,240	2,240	copy_multiply_complex128_complex12
0.5	2,176	1	2,176.0	2,176	2,176	copy_linspace_float64_float64_flo
0.5	2,145	1	2,145.0	2,145	2,145	copy_reciprocal_float64_float64
0.5	2,145	1	2,145.0	2,145	2,145	copy_multiply_float64_float64_flo
0.5	2,080	1	2,080.0	2,080	2,080	copy_copy_int64_float64
0.5	2,017	1	2,017.0	2,017	2,017	copy_negative_float64_float64
0.5	2,016	1	2,016.0	2,016	2,016	copy_ifn_kernel<(int, int)*>
0.5	2					

Some more insights about  
CUDA Kernels using profiling  
tools - nsys profile, nsys-ui



# Peak Detection for Gas Cell



- There is no function like `scipy.signal.find_peaks()` in CuPy yet.
- Peak detection for Gas Cell on GPU is developed based on idea that- a peak must be greater (or smaller) than its immediate neighbors, but the performance need to be improved.

```
def detect_peaks_gpu(x, mph=None, mpd=1, threshold=0)
```

# Some more Signal Processing Routines

A comparison of cupy and numpy implementations on 2.5 million data points sample(time in seconds) :

Routines		Numpy	CuPy	Speed
Interpolation:	np.interp -> cp.interp	0.055173	0.001341	41.4x
Unwrap:	np.unwrap->cp.unwrap	0.143882	0.015522	9.2x
Convolution:	np.convolve->cp.convolve	0.326742	0.014102	23.1x
Angle:	np.angle-> cp.angle	0.165760	0.004315	38.41x
Sort:	np.sort->cp.sort	0.071232	0.002608	27.3x
Absolute:	np.abs->cp.abs	0.005381	0.004910	1.09x

# Fast-Fourier Transform in CuPy vs SciPy

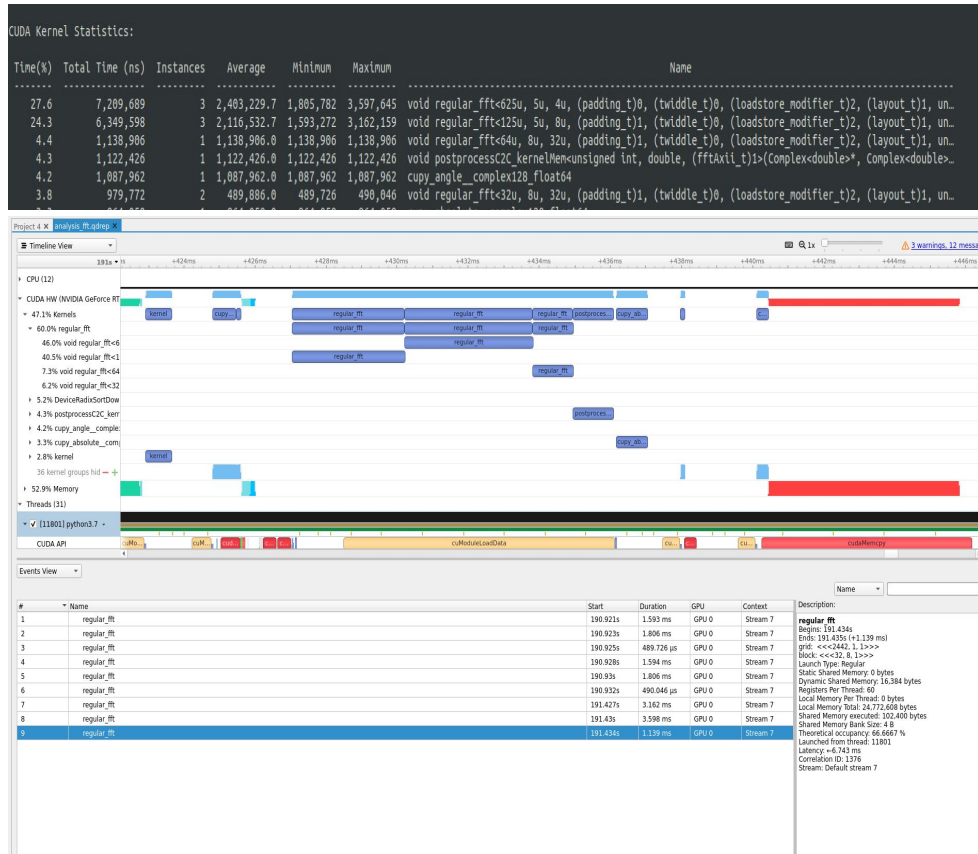
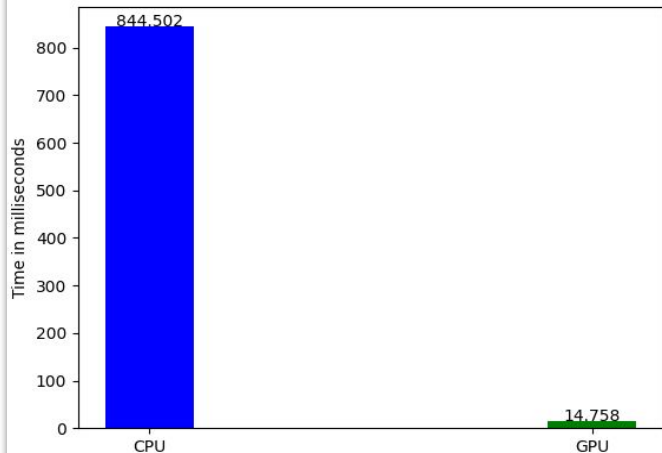
`cupyx.scipy.fft(x[, n, axis, norm, overwrite_x, plan])`

- access advanced routines that cuFFT like `get_plan_fft()`
- Improve performance and behavior of the FFT routines -

[https://docs.cupy.dev/en/stable/user\\_guide/fft.html](https://docs.cupy.dev/en/stable/user_guide/fft.html)

```
Y = cp.fft.rfft(Meas_Linear, int(len(Meas_Linear)))
```

FFT for Measurement Cell on CPU and GPU



- Frequency Scanning Interferometry System
- Signal Processing in FSI
- CuPy and Signal Processing
  - Butterworth Filter
  - Hilbert Transform
  - Savitzky-Golay Filter
- Outlook



# Outlook: What lies ahead ?

- CuPy - a great library to start and test processing on GPU and expand to Signal Processing
- More performance tests and analysis to do with multiple channels and ultimately to improve performance
- Move to more CuPy based custom Kernels
- Upstreaming developments to CuPy repository

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**Now this is not the end. It is not even the beginning of the end. But it is, perhaps, the end of the beginning - Winston Churchill**

